

**Revitalization of gaseous transmission  
functions in ACRANEB radiation scheme  
using RRTM as database**

Tomas Kral

CHMI

# Motivation

- deficit of current ACRANEB scheme in terms of overestimation of cooling rates in the lower troposphere
- one can start verifying transmission function fits on the first place (18 years old stuff with not much documentation)

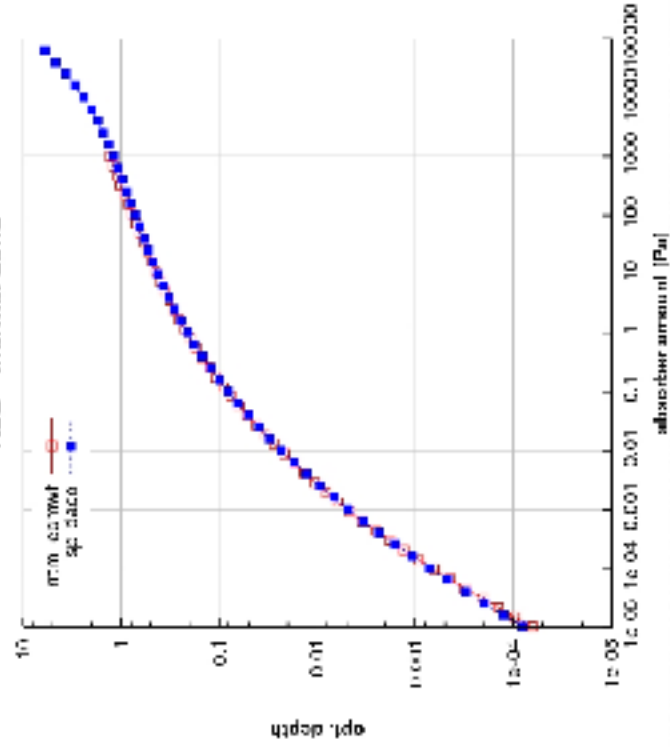
# Strategy

- extraction of gaseous transmissions from RRTM (Rapid Radiative Transfer Model) – to be used as a new dataset for fitting
- revision of the fitting procedure and verifying of the reproducibility of the old fits
- checking the impact of the new TF (transmission function) fits
- verifying other simplifying assumptions

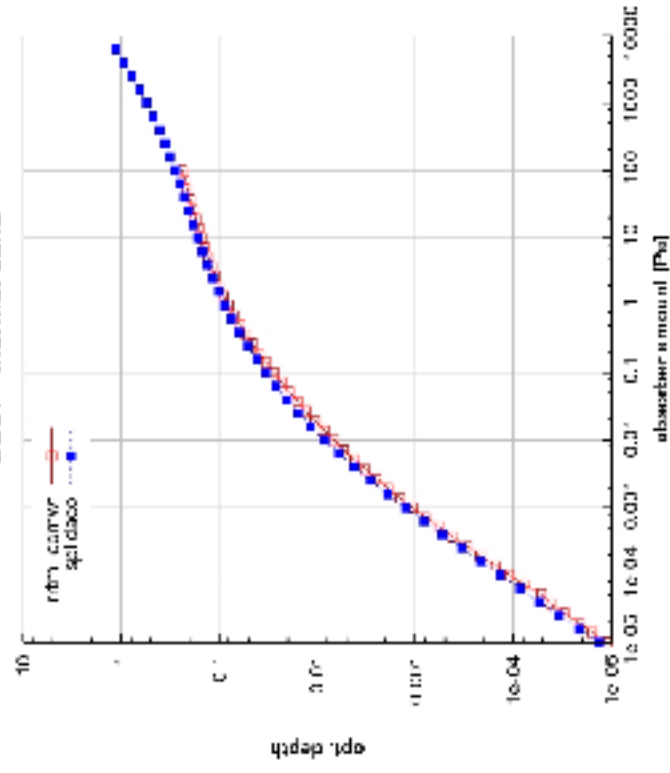
# Dataset preparation

- one uses high precision (but rather expensive) band models to compute 'exact' gaseous transmissions as functions of absorber amount,  $T$  and  $p$
- SPLIDACO – band model used to create a dataset for fitting the original TFs
- RRTM – band model based on LBLRTM, adopted to extract a new gaseous transmissions' dataset

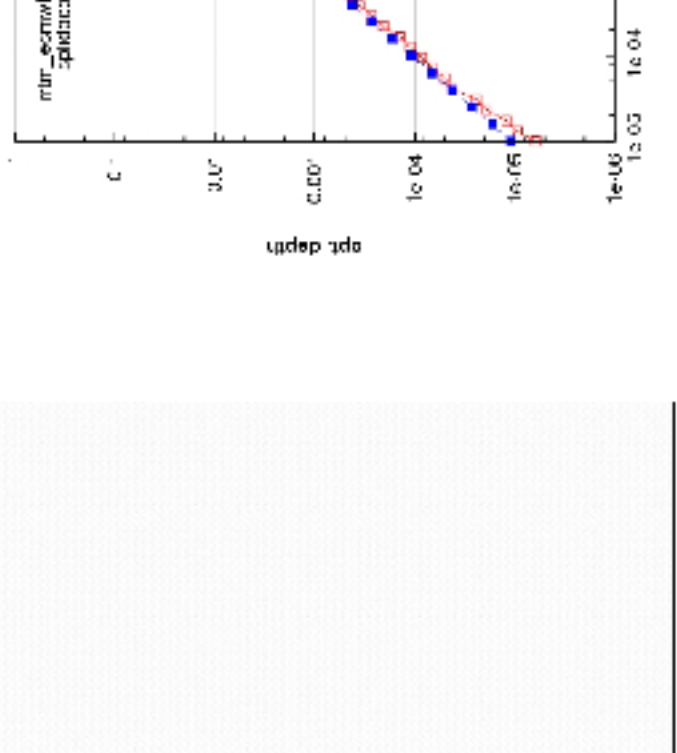
H2O - thermal band



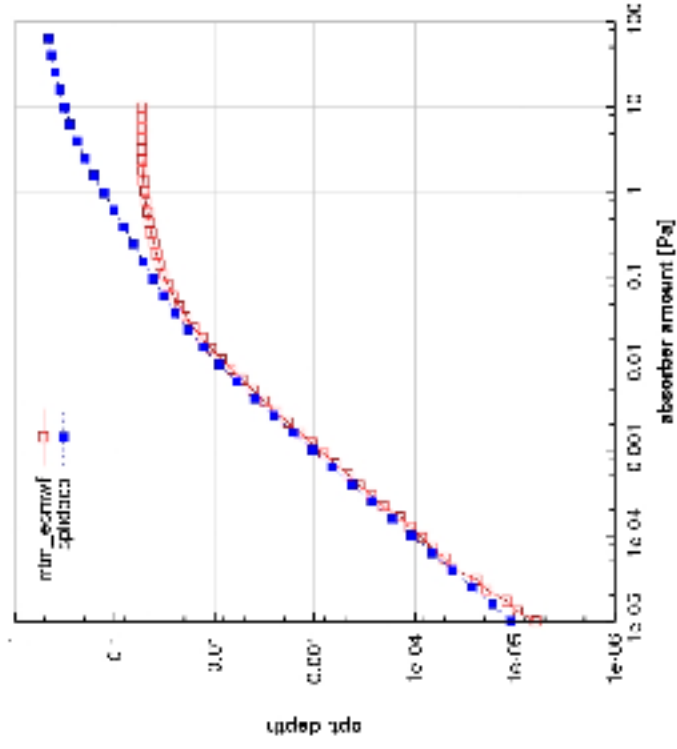
CO2+ - thermal band



H2O - thermal band



O3 - thermal band



# Fitting method

- using Malkmus band model for evaluation of equivalent width  $W$

$$W = \frac{2a}{b} \frac{q_r}{q_n} \sqrt{1 + 4b \frac{q_n^2}{q_r} - 1} + cq_r$$

$a$  – weak line parameter

$b$  – strong line parameter

$c$  – continuum parameter

$q_r, q_n$  - reduced (by  $T$  and  $p$  factors) and unreduced absorber amounts

# Fitting method

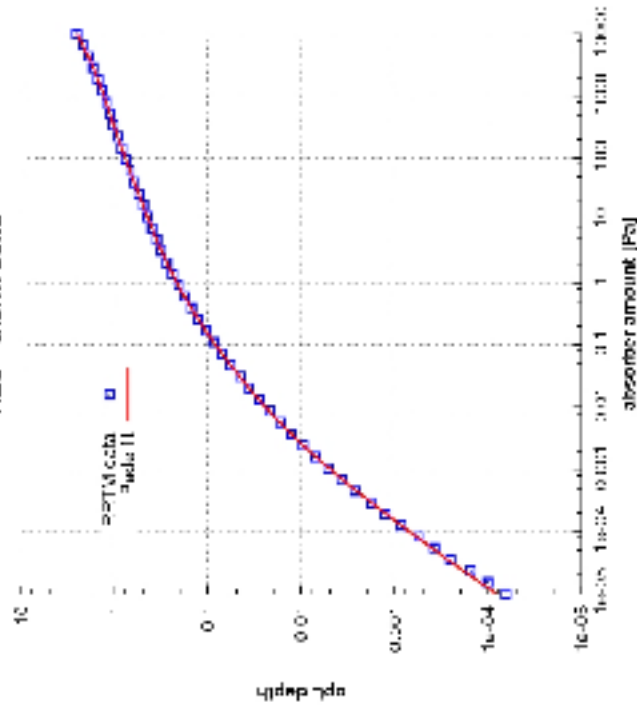
- due to non-linear dependence, optical depth  $\delta$  is expressed as a function of  $w$  in a form of Padé approximant

$$d_g = \frac{P(w)}{Q(w)} = w \frac{1 + \sum p_n w^n}{1 + \sum q_m w^m}$$

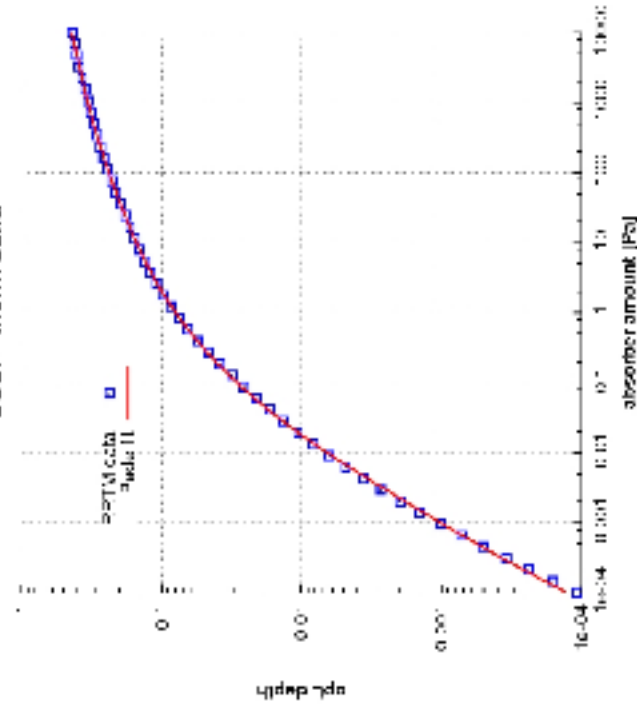
- where  $w = W/\delta'$  ( $\delta'$  ... mean interdistance of abs. lines)
- one has to simply find optimal coefficients  $\mathbf{a}$ ,  $\mathbf{b}$ ,  $\mathbf{c}$  and  $\mathbf{p}_n$ ,

$\mathbf{q}_m$

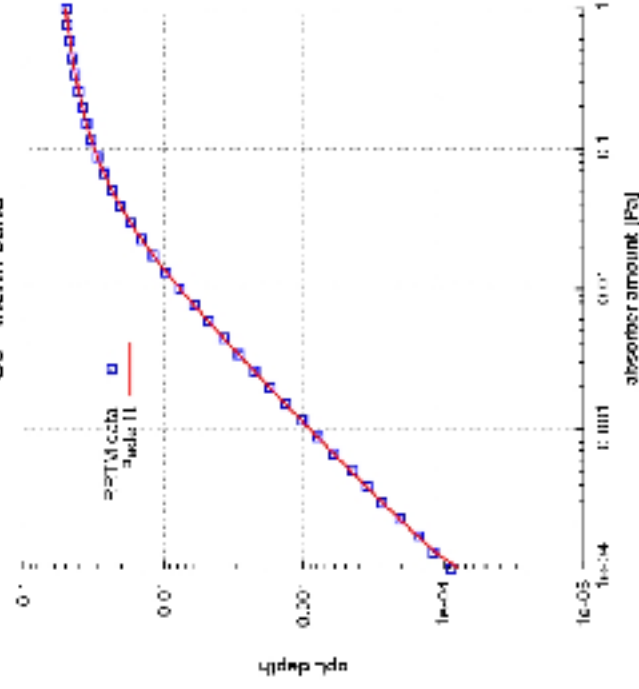
H2O - therm band



CO<sub>2</sub> - therm band



O3 - therm band





# Fitting method

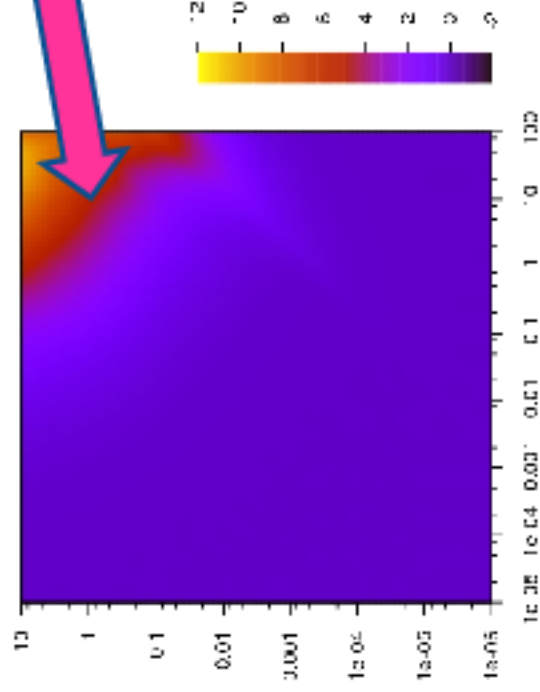
- we managed to revitalize the TF fits using RRTM data
- this is nice but actually doesn't help much
- time to check some simplifying assumptions!

# Assumption for composite of gases

- total optical depth of the gas composite is equivalent to the sum of individual gaseous optical depths

$$\delta_{tot} = \delta_1 + \delta_2 + \delta_3$$

relative error for H<sub>2</sub>O + CO<sub>2</sub> composite



NOT valid for higher absorber amounts

# Correction for composite of gases

- ▶ proposed solution:

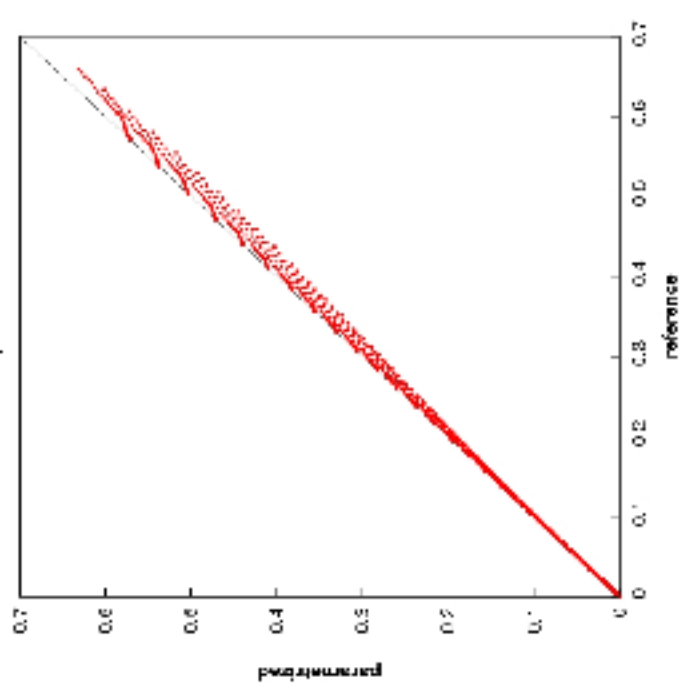
$$\delta_{tot} = \delta_1 + \delta_2 + \delta_3 + X_{12} + X_{13} + X_{23} + \dots (?)$$

current solution + new correction terms

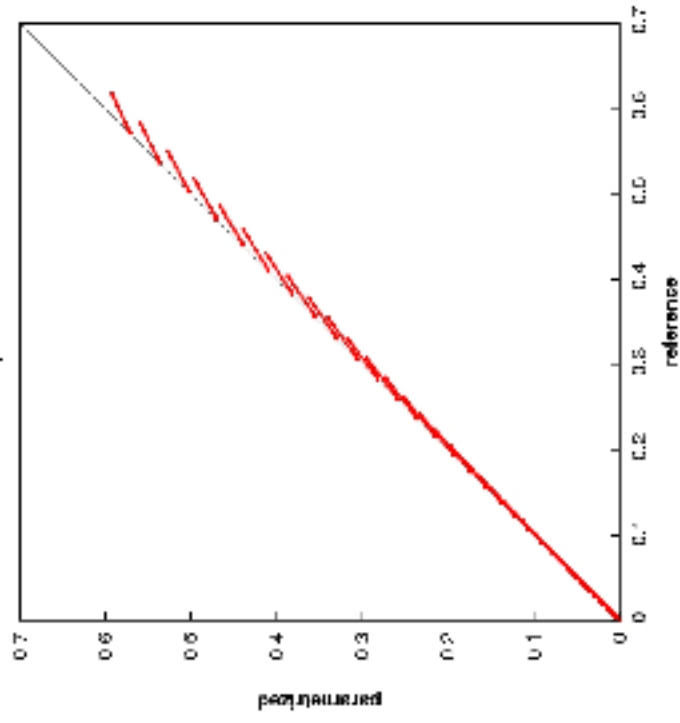
$X_{ij} = \delta_{ij} - (\delta_i + \delta_j)$  ... 'double-composite' correction

$$X_{ij} = \sqrt{e \frac{u_i}{(u_i + f)} \frac{u_j}{(u_j + g)}} \quad \begin{array}{l} u - \text{absorber amount} \\ e, f, g - \text{fitting coeffs} \end{array}$$

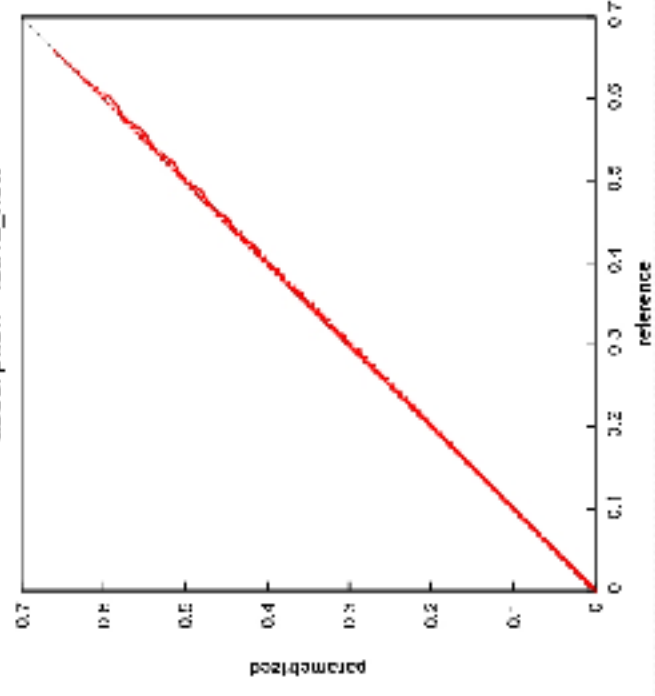
absorption - tau12



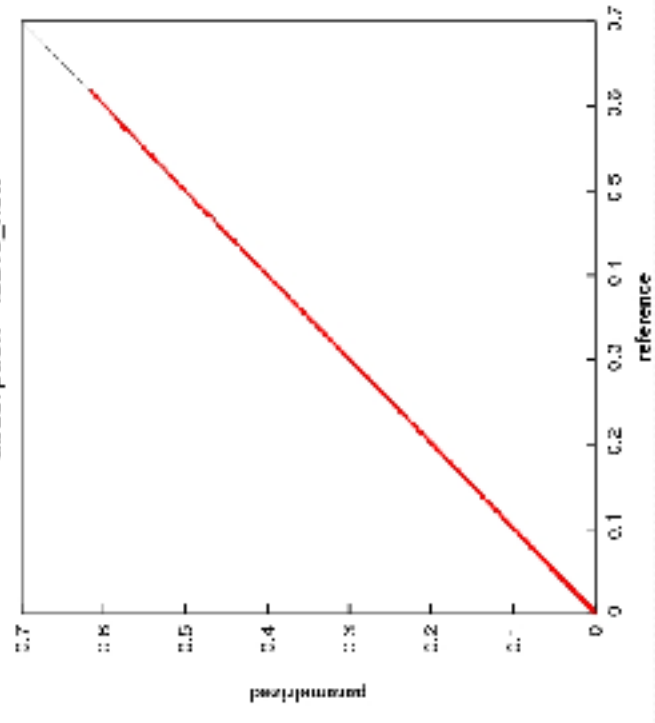
absorption - tau13



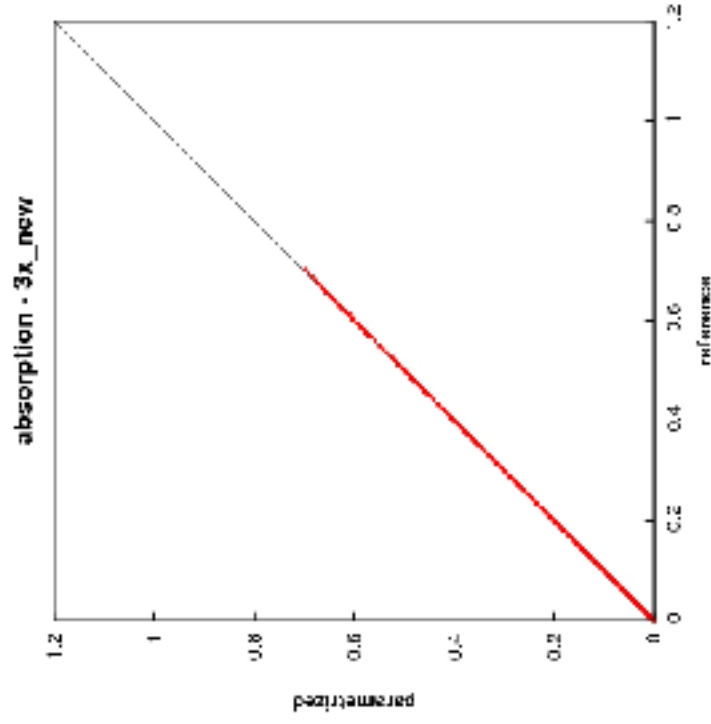
absorption - tau12\_new



absorption - tau13\_new

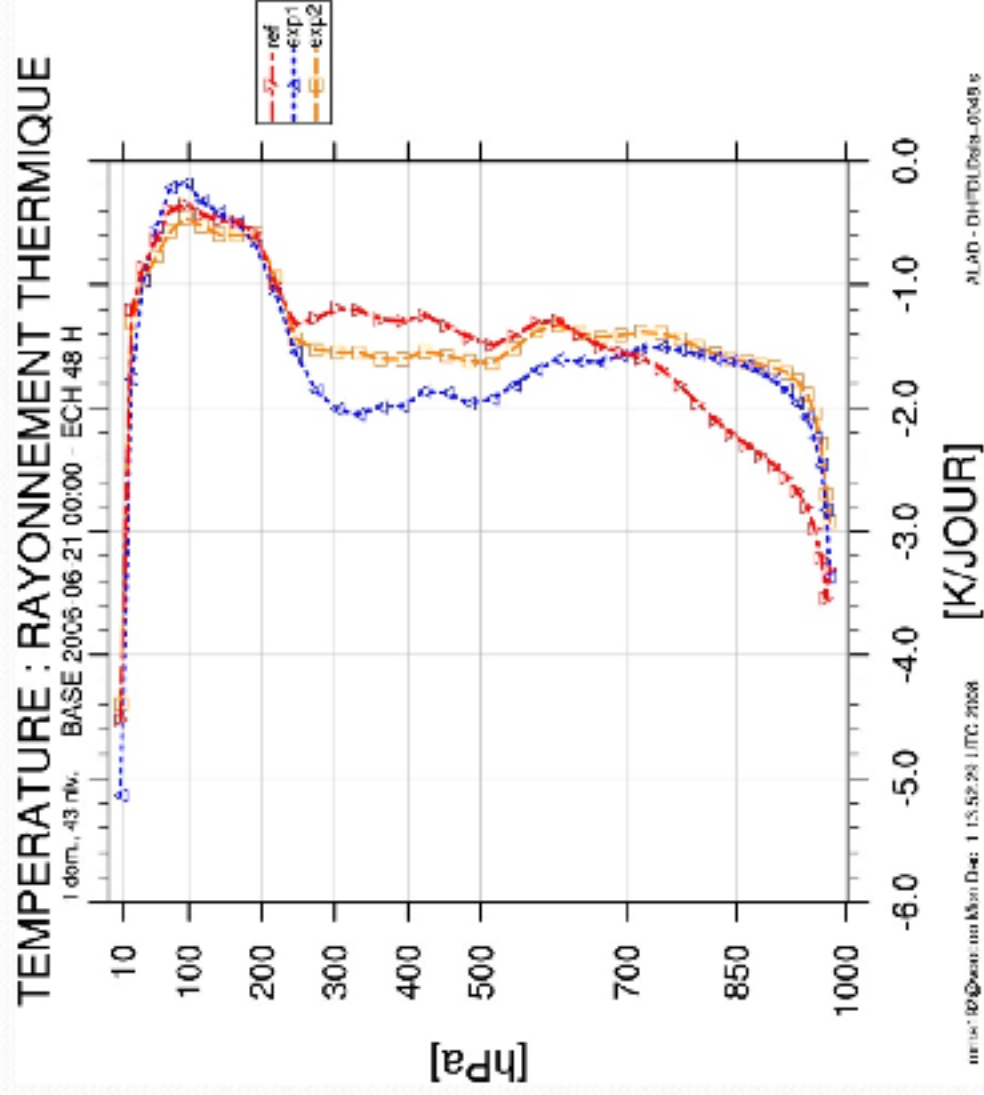


# Correction for composite of gases



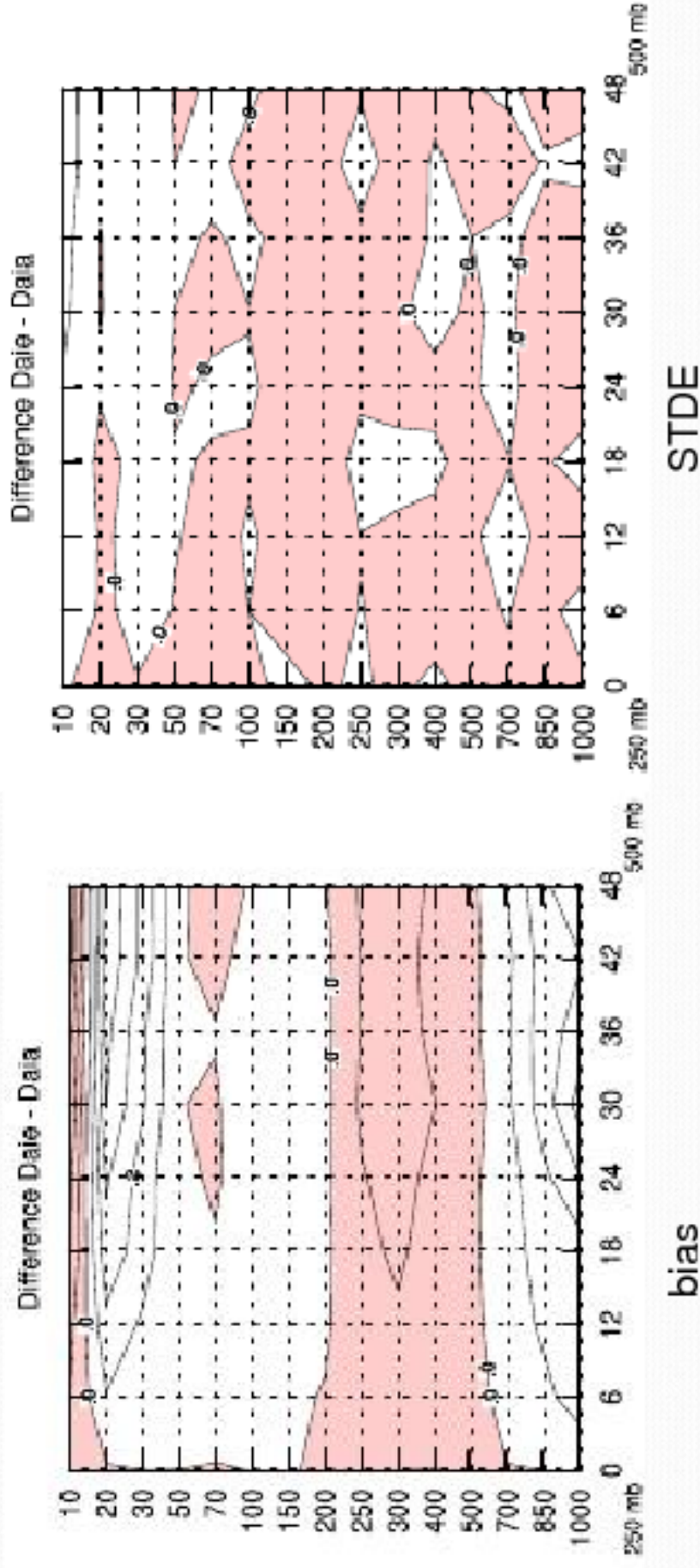
- absorption of composite of all three gases after applying corrections  $X_{12}$ ,  $X_{13}$ ,  $X_{23}$
- additional higher order correction term  $X_{123}$  **not necessary**, fortunately

# DDH Inter-comparison



# Verification

Period 20080501 ...20080510



# Conclusion

- we obtained cooling rates which are now closer to the ones in RRTM (especially in lower troposphere)
- we achieved this with minimal extra computational cost (only one additional square-root evaluation)
- however, we get too big positive bias – most probably the consequence of the compensating errors in the previous setup
- we need to readjust tuning of other physical parametrizations to find a new consistent setup



# Further plans

- introduce ‘overlapping’ correction for solar part
- introduce climatology for aerosols’ optical properties
- development of time intermittent scheme:
  - principle of constant gaseous opt. depths within  $N$  integration time steps
  - clear-sky fluxes at the beginning of each updating period are exact
  - interaction with clouds can be recomputed in every time step (without excessive CPU burden)

**Thank you!**